

Motion Analysis Using tracker.jar

Tracker.jar is a free motion analysis application written by Doug Brown of Cabrillo College, California. It can be downloaded here:

<http://www.cabrillo.edu/~dbrown/tracker/>

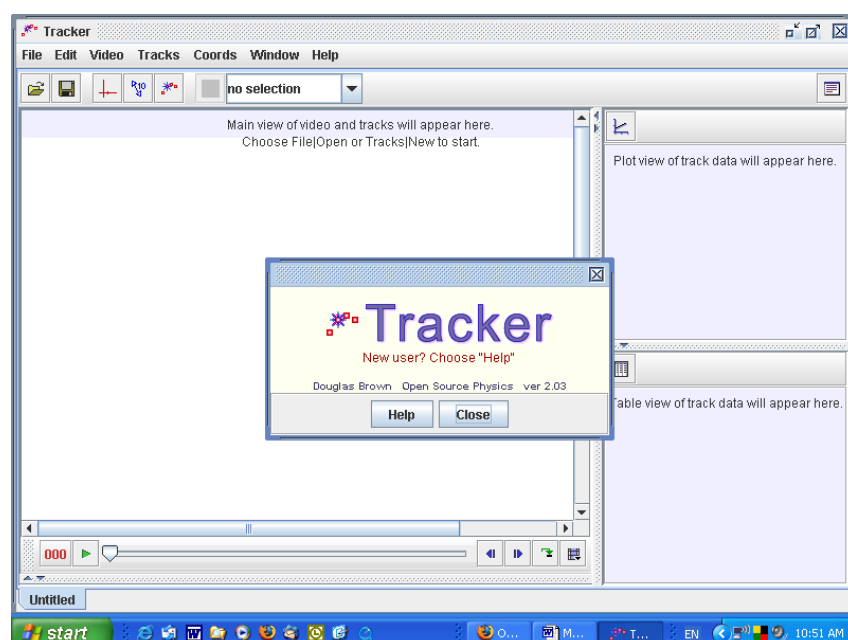
This site also has links to two other free applications that you may need to download in order for tracker.jar to run, namely Quicktime 7 and Java 1.5 (or later). Many computers have these installed as a matter of course. Doug Brown's site also has downloadable sample videos.

Tracker.jar cannot presently read the video files created by some camcorders. Fortunately, you can download a free, easy to use converter from www.stoik.com. Its use is described in a separate handout.

In a nutshell, tracker.jar allows you to import a video of a moving object and to track the motion of a point or points on the object frame by frame. The software can graph displacement, velocity, acceleration and more. Think of it as a 21st century version of strobe photography. Whilst you would be unlikely to use tracker.jar to work out the value of g to 3 decimal places, it is superb for teaching velocity / time graphs and for analysing motion in two dimensions. There is far more to this resource than we will cover here. If you do use some of its other features, please feed back to SSERC.

Starting Tracker

When you start tracker.jar you will see the following screen:

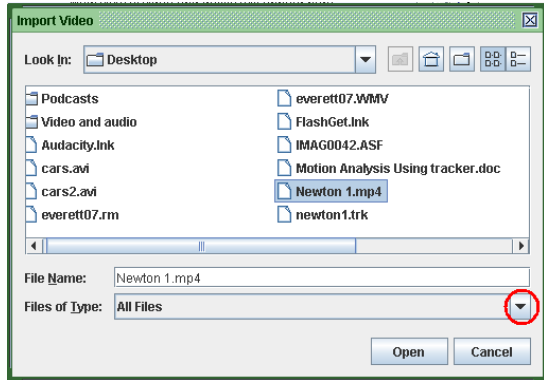


Click **Close**, which closes the window that offers help, not the application.

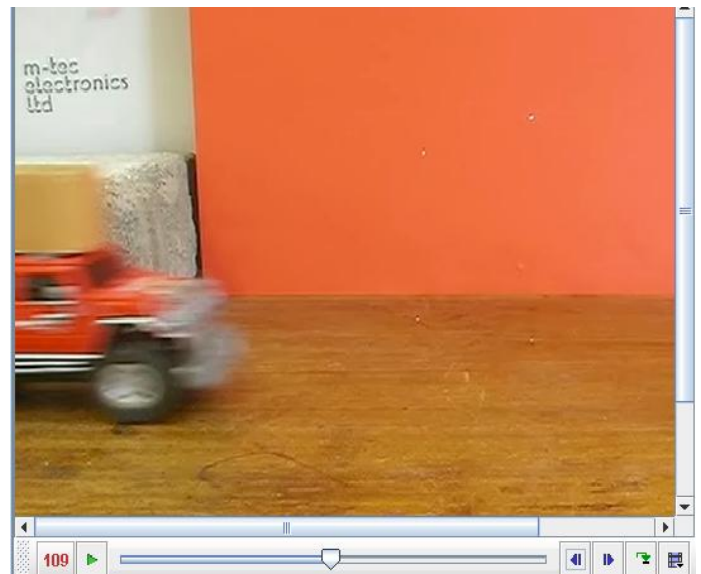
The first thing you must do is to import a video into tracker.jar. Choose **Import...** from the **Video** menu.

For some files, such as the SSERC illustration of Newton's First Law, you may have to use the arrow on the **Files of Type** box (circled, left) to select **All Files**.

Click the name of the file you want to import, then click **Open**.



Your video will then be loaded into tracker.jar.



The clip can be played, paused and so forth using the standard controls at the bottom of the screen.

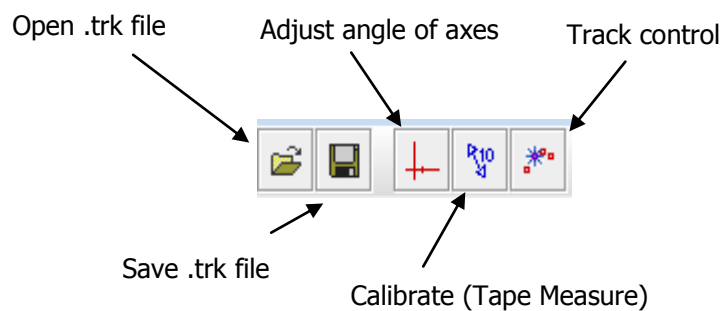
The forward and rewind buttons advance the movie one frame at a time.

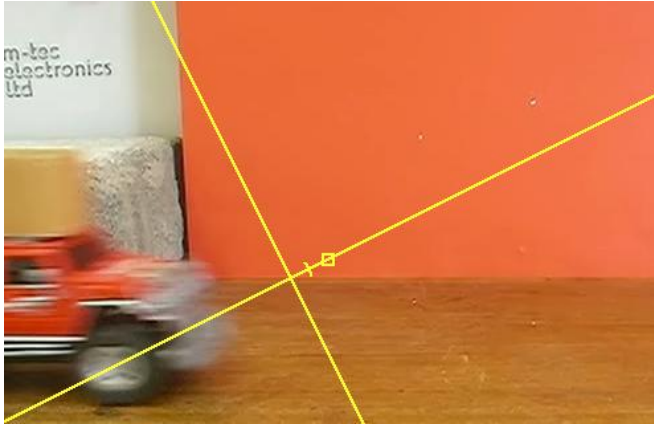
Important Note on Saving

Saving a file using **File.. Save As..** produces a file with the **.trk** file extension. Two important points are:

- Double clicking this file does not open up tracker.jar. These files can only be opened via tracker.jar.
- **.trk** files are useless without the original video file.

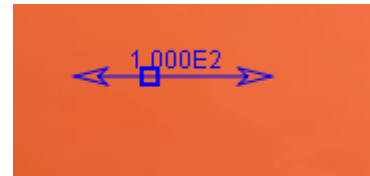
Before analysing the video, we need to be familiar with certain controls:





The axes button allows you to position the origin and to adjust the angle of the axes, very useful if you are dealing with motion down a slope.

Clicking the calibrate button reveals a tape measure. This can be positioned alongside an object of known length on the screen, for example a ruler. The ends of the tape measure can be dragged to the ends of the ruler. The number (in scientific notation) alongside the tape measure can then be edited. For example, the tape measure could be placed alongside a 15 cm ruler in the video. Note that when the number alongside the measure is edited, 15 will be displayed as 1.500E1.



If all you are interested in is the shape of motion graphs, there is no need to use the tape measure.

Clicking the track control button produces the window below.



To track:

Click **New**.

From the menu that appears, choose **Point Mass**.

You will then see a message telling you to use Shift + Click to mark the mass. You may have to use your video controls to move through the video to the point where you want to start marking.



Shift-click on a point on the moving object. The video should then move to the next frame, but see below. Shift-click on the same point on the moving object.

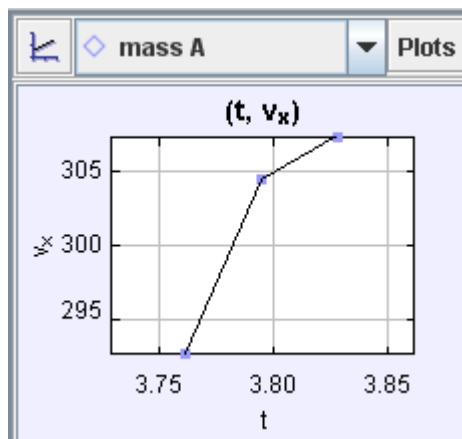
If you need to click twice before the object you are tracking appears to move, see the tips at the end.

As you mark, a displacement / time graph appears on the right.

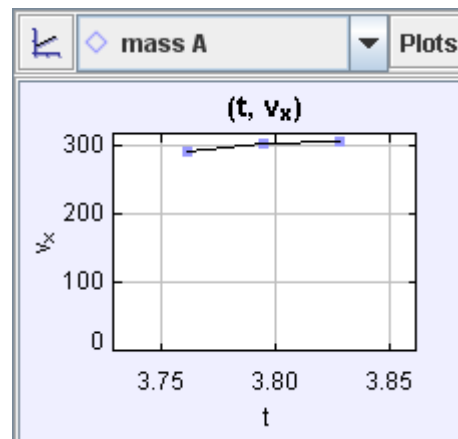
Double click the graph to make it larger. You will find that options to do a best-fit line (complete with gradient) appear.

Left click the quantity on an axis to change it, e.g. to graph velocity instead of displacement.

Right click a quantity to change the scale. This is quite important: Tracker.jar autoscales, so a velocity / time graph will default to displaying between a maximum and minimum value. A constant velocity could thus appear to be wildly varying.



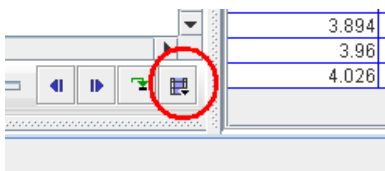
An autoscaled graph



Graph with velocity origin set to zero

Top Tips

- Set your camera to the "high" quality (352 x 288) mode. This gives 25 frames per second, better than the 10 frames per second attainable with the higher resolution 640 x 480 (Mustek cameras only)
- Use as plain a background as possible.
- Use an object that contrasts well with the background.
- Use a tripod or clamp stand to hold your camera.
- Fast moving objects in video frames are blurred. Try to track the same spot on the blurred object in each frame.
- Put a sticker on the moving object to help with tracking.
- If you need to click twice before the object you are tracking appears to move (Busbi cameras), do this:

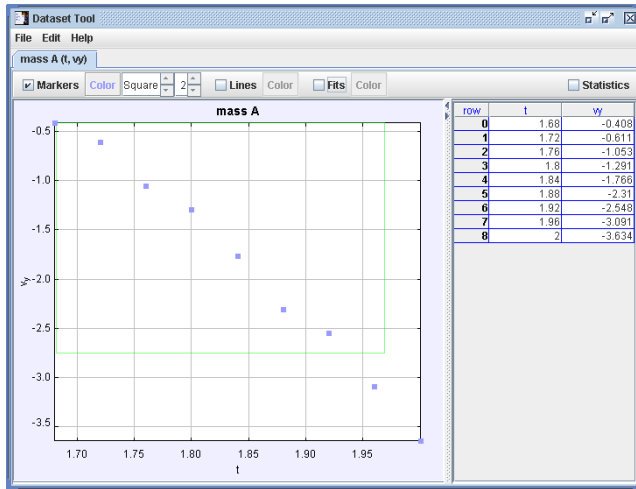


Click on the Clip Settings icon, shown left, circled in red.

Change the step size from 1 to 2. This *should* remedy things.



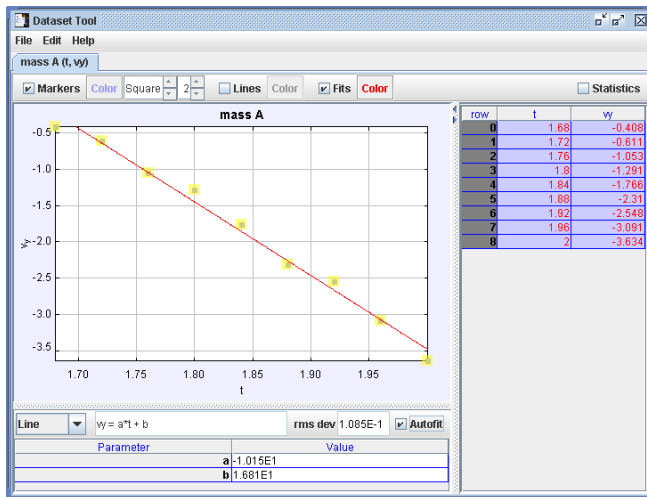
To do a quantitative analysis on the gradient of a graph, double click the graph as described above, in order to get a larger graph like the one below:



Note that we have unchecked the **Lines** option so that tracker does not "join the dots".

Now tick the **Fits** box.

Drag over a selection of points (they will be highlighted), then tick **Autofit**.

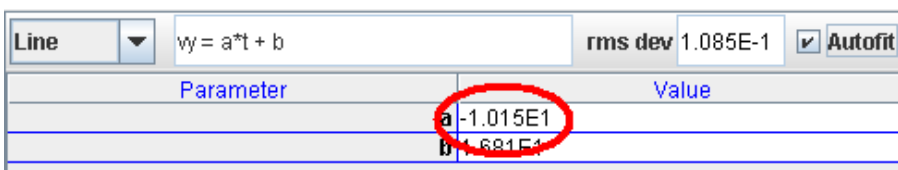


A best fit line is displayed.

Our graph on the left shows the vertical component of the velocity of a projectile (v_y) versus time.

The gradient should equal g , the gravitational acceleration.

Tracker uses the notation $v_y = a*t + b$ to represent the equation of the straight line. Thus, for a projectile, g will equal the value of the a term. This is circled below. Note that scientific notation has been used.



Tracker used quantitatively

Tracker is a fantastic tool for displaying the shapes of velocity time graphs. It is particularly useful to be able to step through a tracked video frame by frame and see the corresponding point on the graph highlighted. As shown above, it can be used quantitatively, but there are sources of error and uncertainty:

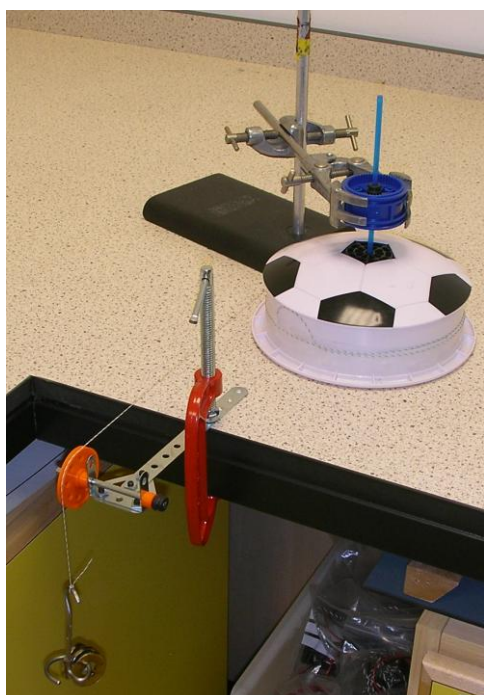
- How reliable is the frame rate of the camera used?
- Is the metre stick in the plane of motion?
- Is the plane of motion normal to the optical axis of the camera?
- When motion is blurred, what point should be tracked – the start, end or middle of the blur?

Angular Acceleration and Torque – The Tobermory Method

This method to investigate the relationship between torque and angular acceleration was devised by Donald Holmes of Tobermory High School.

Donald carried out the experiment as part of his Gap Task and reported on it at Part 2 of the 2009-2010 SSERC Physics Residential Course. Rotational motion apparatus typically costs hundreds of pounds. Can a valid investigation on the topic really be carried out using standard school equipment, a cheap video camera and an inexpensive air puck?

Angular acceleration is found using video analysis software. We used a free package called tracker.jar. Guidance on the basic functions of tracker.jar is available in a separate SSERC handout. The guide you are currently reading refers specifically to the features required for analysing rotational motion.



The air puck contains an electric motor and a blower to raise it on a cushion of air. There is thus only a small amount of friction acting on it. A small rod, clamped vertically, is used to constrain its motion to rotation about the rod. It has a foam bumper around it, which we removed. A cord is taped to the puck and runs over a pulley, angled such that the cord is tangential at the point of contact with the puck. Masses suspended on the end of the cord provide the force to apply a torque to the puck.

A digital camera capable of taking video clips is mounted above the puck. The puck is switched on. With the cord wound round the puck, the masses are released and film is taken of the ensuing rotational motion. The experiment is repeated for different masses.

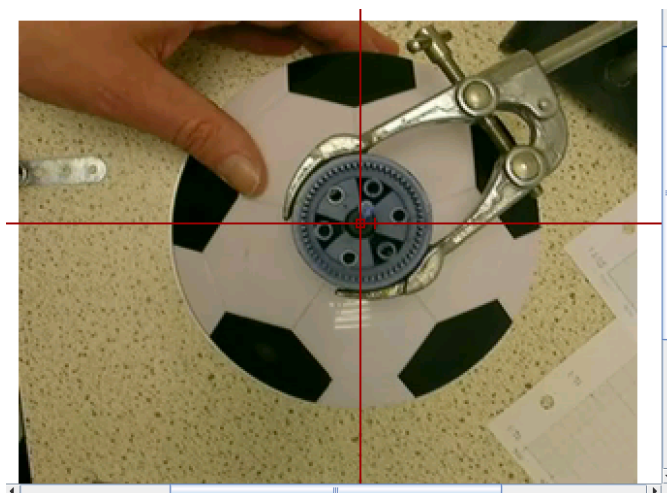
Analysis using tracker.jar

Import the video to be analysed into tracker.jar.

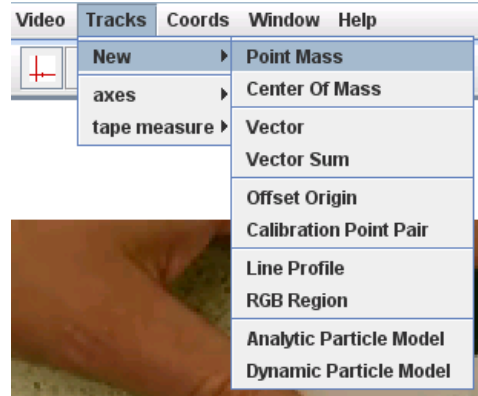
Click the axes tool:



Position the origin at the centre of the puck.



Go to the Tracks menu and choose New then Point Mass.



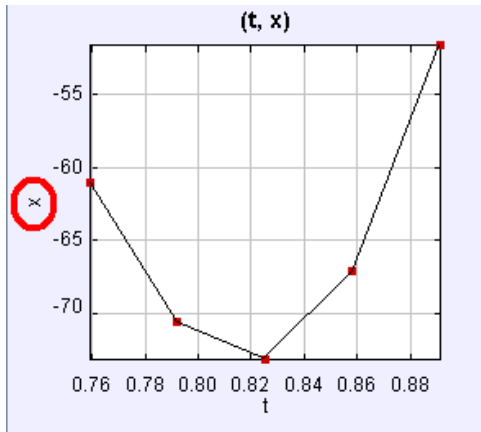
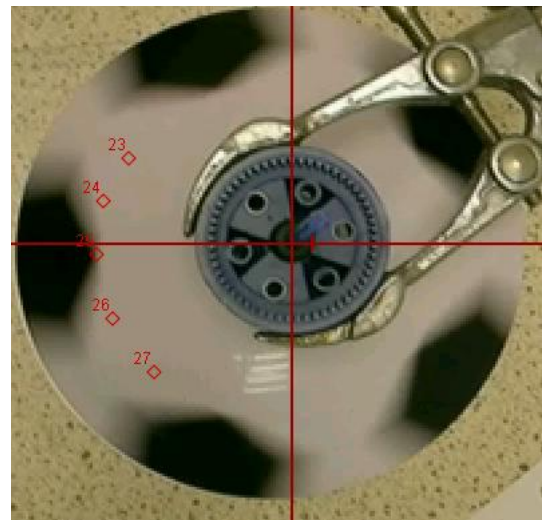
Use the controls  and  to move to a position in the video where motion is about to start.

Choose an easily-identifiable point on the puck to track.

Shift-click to track this point, frame by frame.

As you do this, a graph should be plotted.

Click on the x (confusingly, located on the y-axis) of the graph, as shown below.



From the list that appears, choose

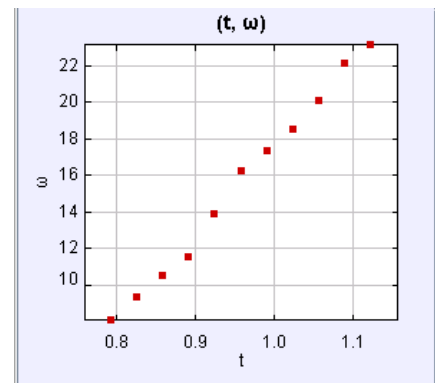
ω : angular velocity

The graph of angular velocity versus time should be a straight line.

Note that it is possible to display angular acceleration versus time using tracker.jar. In our experience, the uncertainties introduced when tracking a point, and possibly also because of varying frame rates, make the acceleration unstable.

We therefore feel that it is better to find the gradient of the angular velocity / time graph.

Double click on the graph to bring up a larger graph with more sophisticated data handling facilities.

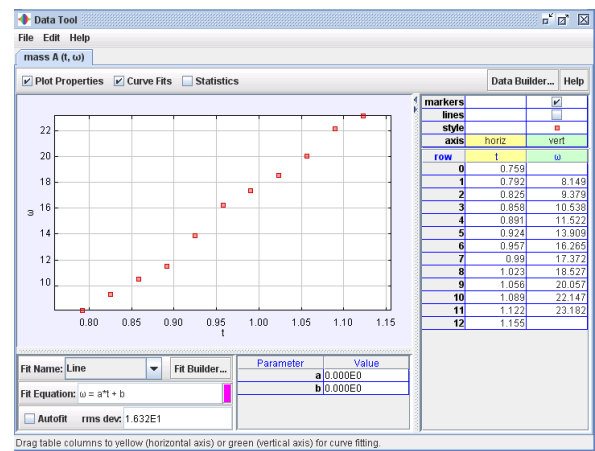


When this graph appears, check the Curve Fits box.

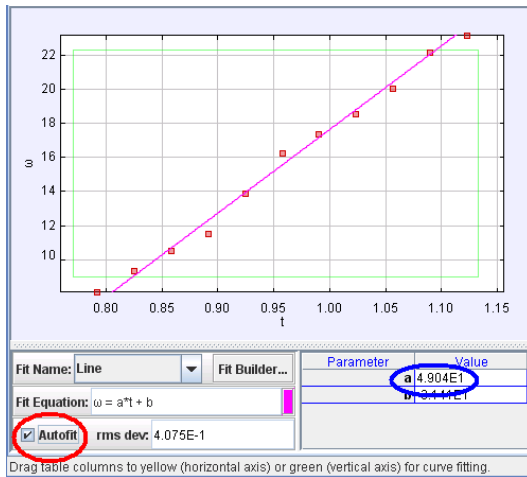
Drag over a set of points that lie on a straight line.

The points should become highlighted.

Click Autofit, circled in red on the graph below, left. The gradient should be displayed as the value of Parameter a, as circled in blue below. Note that scientific notation is used. Thus, 4.904E1 means 49.04.



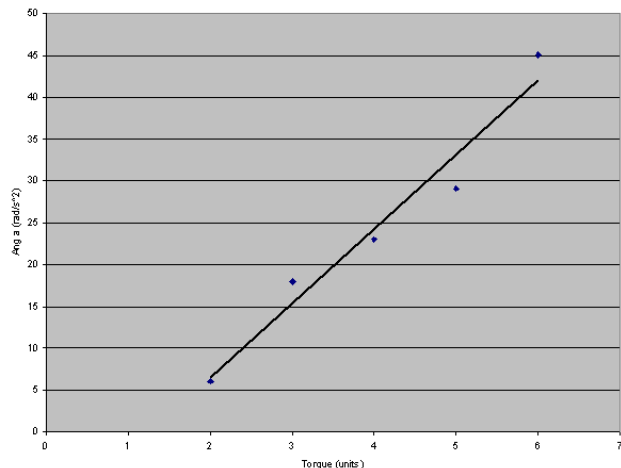
Repeat for all videos.



If you enter the results into a spreadsheet and graph them, you may find, as we did, that the results lie on a straight line but that the line does not go through the origin. Why might this occur?

Sample results are shown below. Ideally, several videos should be taken for each torque and the average and uncertainty found. Time will not permit us to do so in this workshop.

An interesting extension to this work is to determine the moment of inertia of the puck by measurement, then to compare this with the value calculated from the gradient of the angular acceleration versus torque graph.

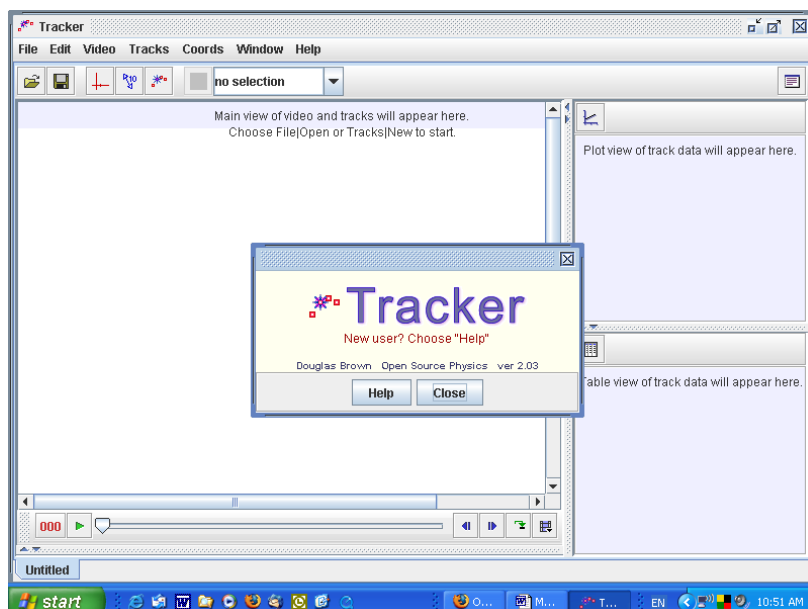


Spectrum Analysis Using tracker.jar

This guide assumes that you have taken a digital photo of a spectrum in jpeg format. The photo should have been transferred to your computer.

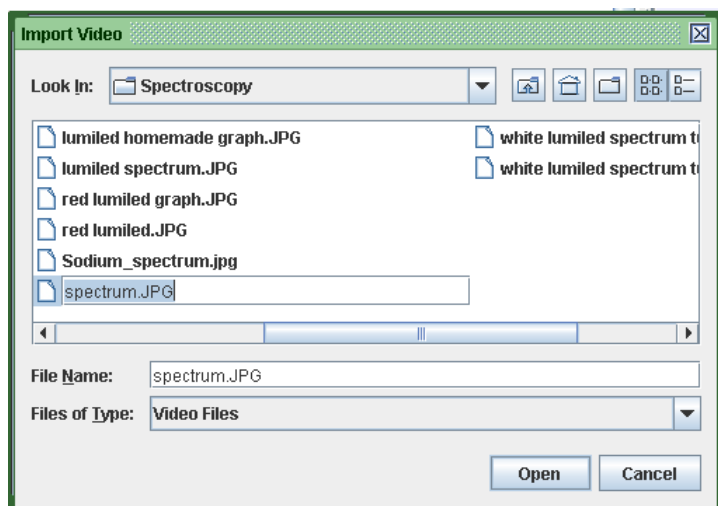
Starting Tracker

When you start tracker.jar you will see the following screen:

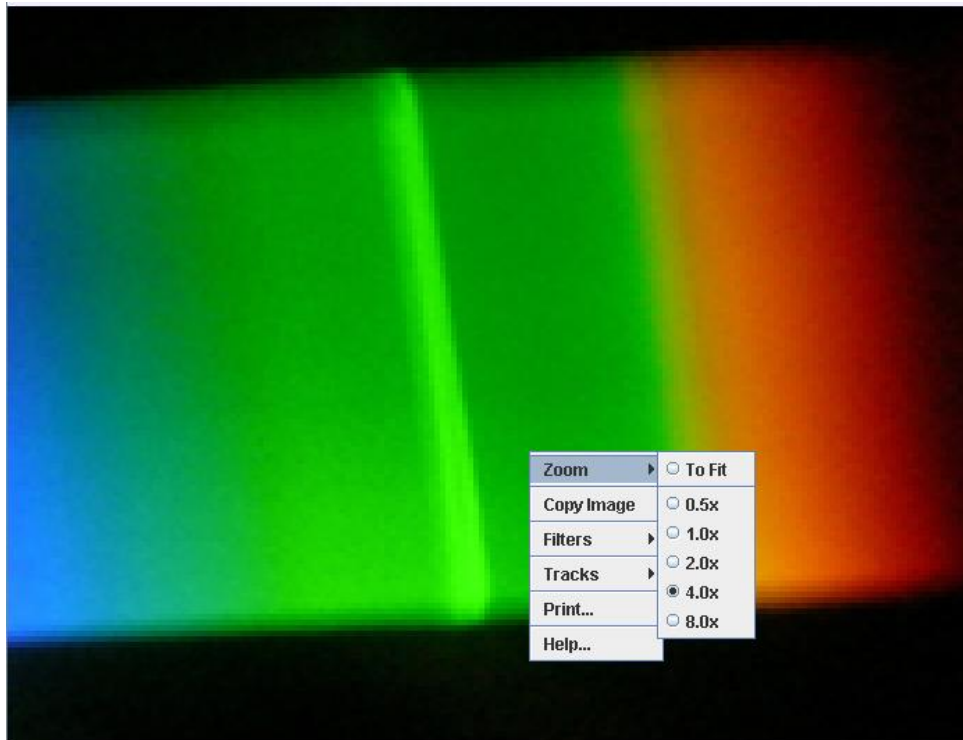


Click **Close**, which closes the window that offers help, not the application.

The first thing you must do is to import a photo of a spectrum into tracker.jar. Choose **Import...** from the **Video** menu.



Find the file you want to open, click on it then click **Open**.



If your spectrum is too small or if only part of it is visible, right click on it, go to **Zoom** and choose a suitable setting.

Another way of getting a spectrum into tracker

Open your picture using Microsoft Paint, a program that is found on most Windows computers under **Accessories**.

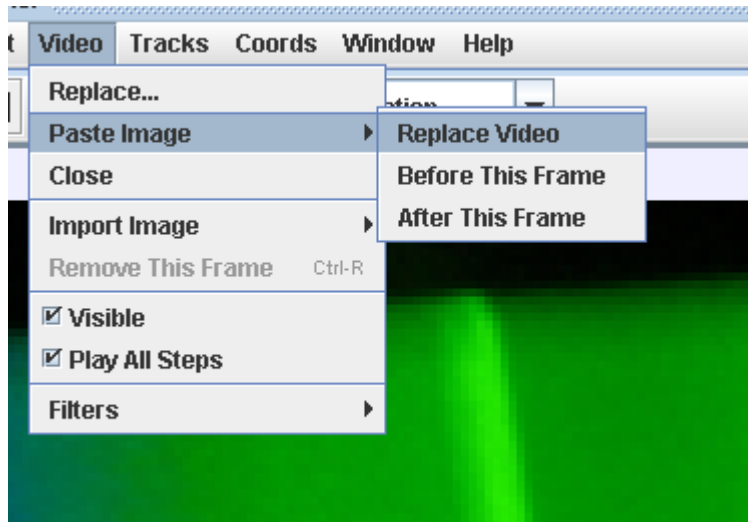
Use the selection tool (circled in red below) to drag over the part of the photograph that you want to analyse.



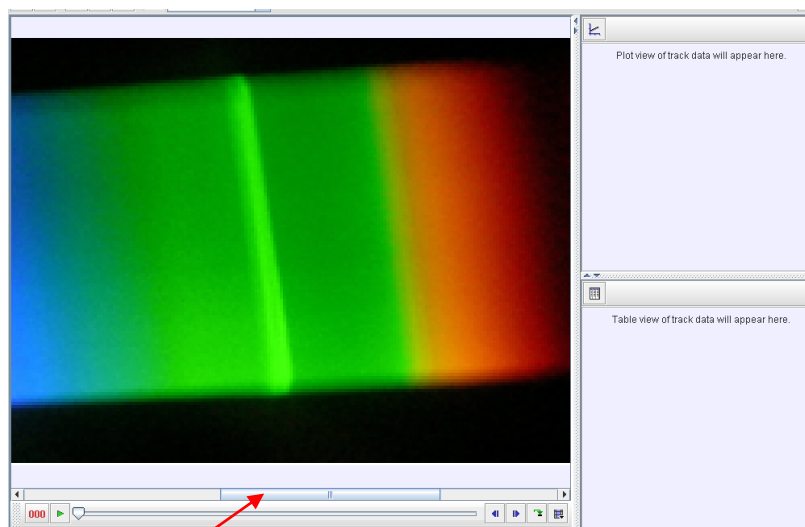
Go to **Edit**. Choose **Copy**.

Switch to tracker. Go to **Video** and choose **Paste Image**.

If you already have an image in tracker, choose **Replace Video**.

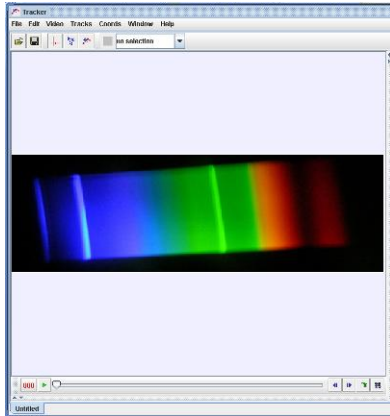


Again, you can use the zoom tool to make the spectrum the size you want it to be.



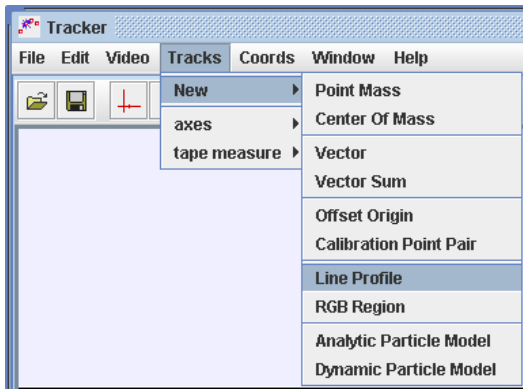
Scroll bar

The scroll bars can be used to position your spectrum.



By zooming and using the scroll bars, you should be able to get your spectrum filling the tracker screen.

We will now use a tool called a **line profile** to analyse the pixel brightness of each part of the spectrum.

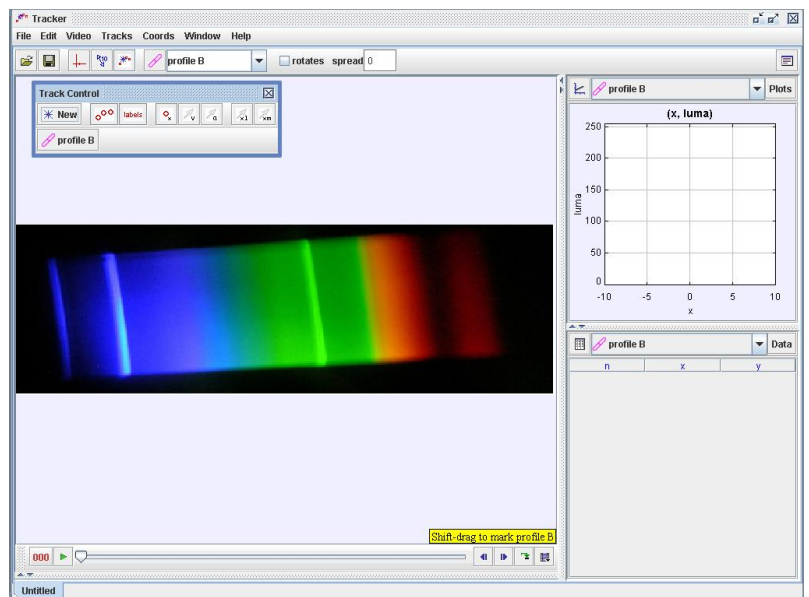


Go to **Tracks**.

Choose **New**.

Select **Line Profile**.

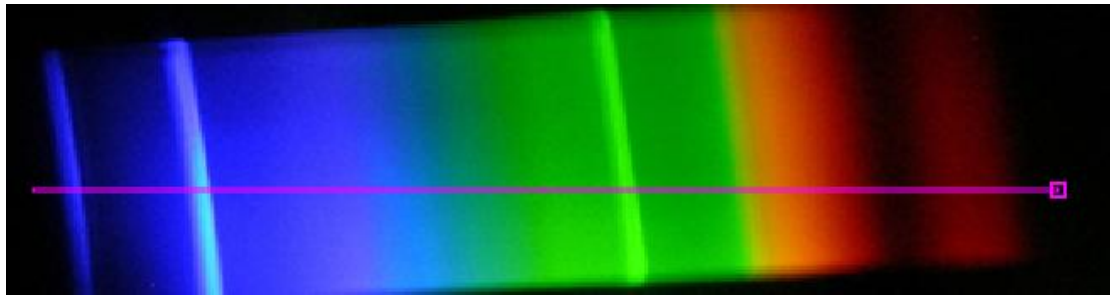
Down at the bottom right of the tracker screen, you should see a message that tells you to shift-drag to mark the line profile.



Move your mouse to the left of the spectrum, about half way down.

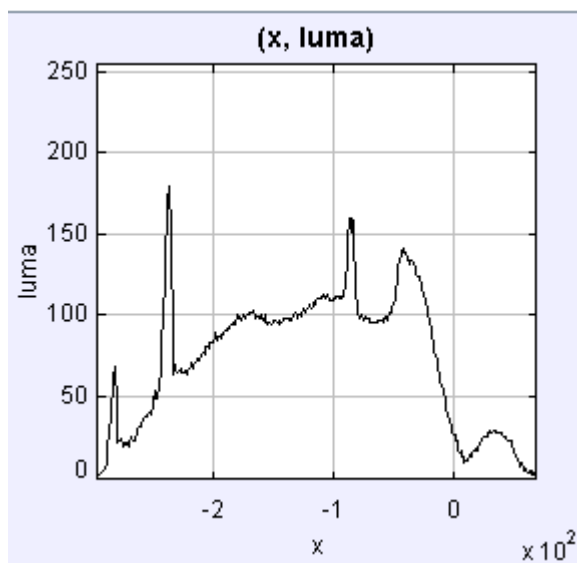
Hold down **Shift**.

Drag with your mouse. (If this doesn't work first time, try again).



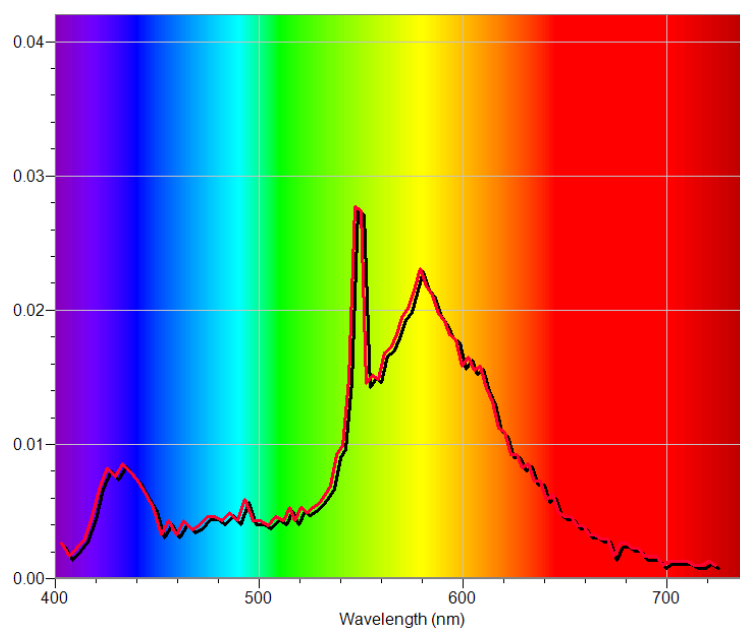
Drag right across the spectrum, as shown above.

At the top right of your screen, a graph like the one below should appear.

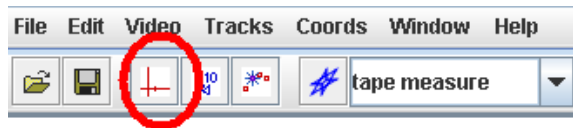


This is a spectrograph. The peaks correspond to the brightest parts of the spectrum. You can make it larger by double-clicking it.

A commercial spectrograph (see below) would have wavelength on the x-axis.

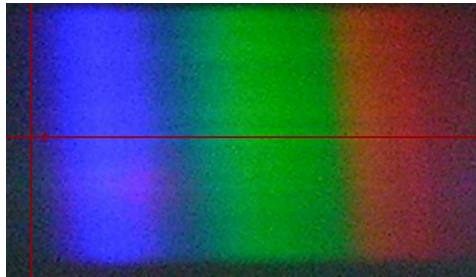


Calibrating



Import a picture of a full spectrum into tracker.jar. (The file Lumiled homemade2 is suitable)

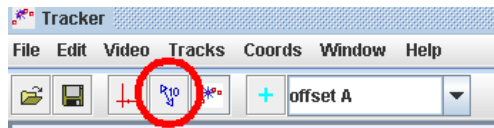
Click the axes tool



Use your mouse to position your axes so that the origin is at the leftmost edge of the blue end of the spectrum.

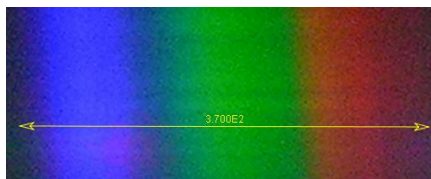
The vertical position does not matter.

The human eye responds to wavelengths between 380 nm and 750 nm (approximately).



Click the ruler tool.

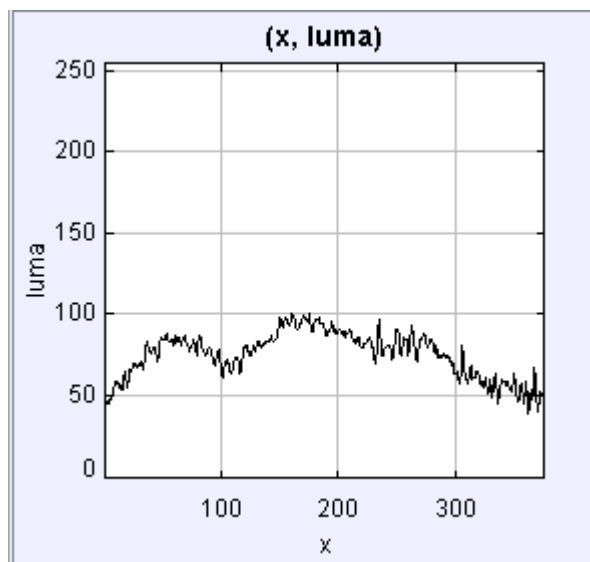
Drag the ends of the ruler so that one is at the blue extreme of the spectrum and the other is at the red extreme.



Double click on the number.

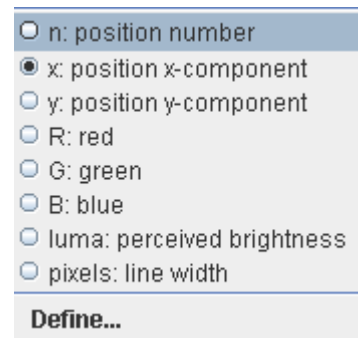
Change it to 370 (i.e. 750-380)

Tracker will turn this into scientific notation.

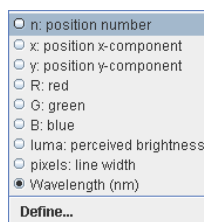
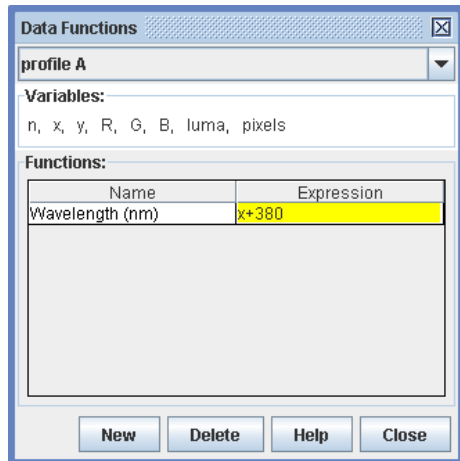


Set up a line profile as shown earlier.

Click the x below the x-axis of the graph.



Select **Define** from the pop-up that appears.



Click **New** and enter Wavelength (nm) as the name of your variable.

Enter $x+380$ as the expression.

What you are doing here is defining a variable called wavelength (nm) that will be equal to the x value of your graph plus 380.

Click **Close**.

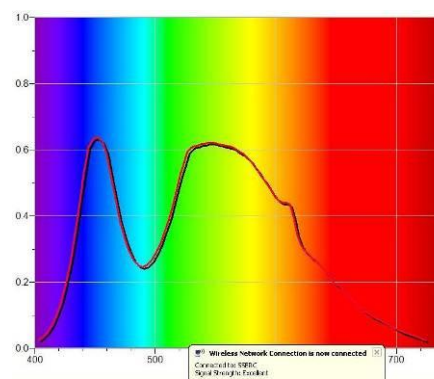
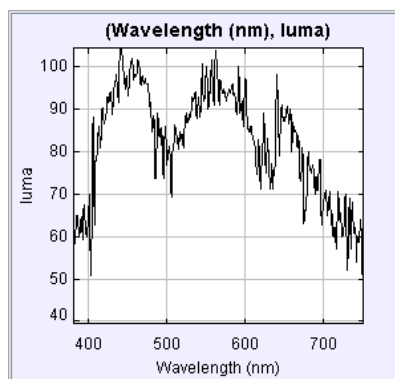
Click the x below the x-axis again. Select wavelength (nm).

Your spectrograph should now be calibrated in nm along the x-axis.

Here's how it happened:

- We moved the origin to the blue end of the spectrum.
- We used the ruler to define the spectrum as covering a range of 370 nm.
- We defined a variable wavelength which was equal to the x value + 380, so that the blue end of the spectrum (x value 0) became 380 nm and the extreme of the red end (x value 370) became $370 + 380 = 750$ nm.

Finally, we can **right** click on "luma" on the y – axis and choose **Autoscale** from the list that pops up.



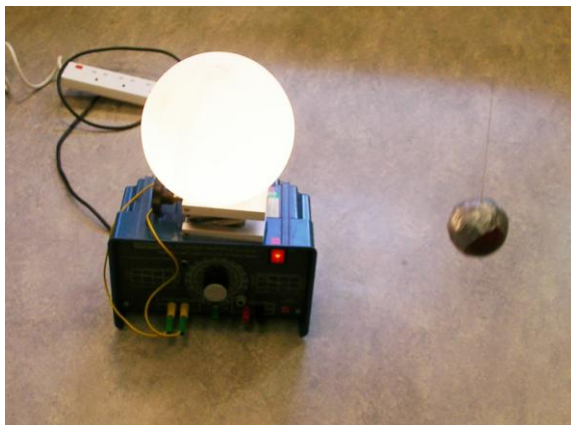
It is interesting to compare your home-made spectrographs with those made using a commercial spectrophotometer.

How might you use this technique to find, say, the wavelength of the sodium yellow line?

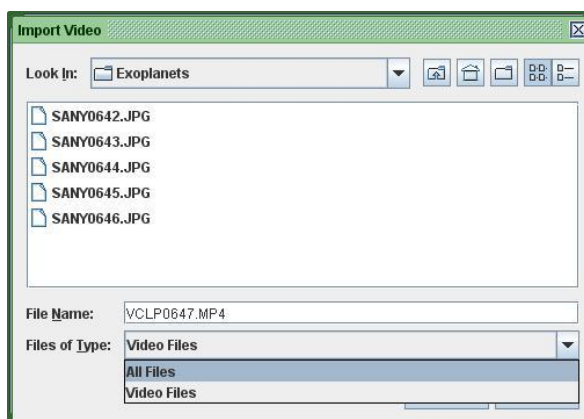
Exoplanet-spotting with tracker

One way of detecting exoplanets is to look for small, periodic drops in the light from a star as the exoplanet transits.

We can model a star and planet using a 12 V lamp and diffusing globe (we got ours for around £10 from a DIY outlet – no names, but think “units of radioactivity”) and a ball on a string hanging from a high mounting point. The ball on the string acts as a conical pendulum, so the mounting point should be directly above the centre of the globe. A long string is advised in order that the period of the orbit is reasonably large.



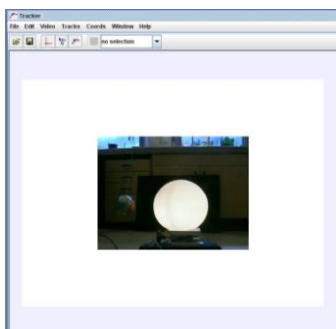
The light from our star can be monitored using a datalogger attached to a light sensor. Another way is to analyse a film of the planet passing between the star and observer. We suggest pointing the video camera directly at the light, in the plane of the orbit. Our model will differ from reality, because unless we site the camera far away from the light, we will be able to resolve the detail of the planet. The camera should be held steadily using a clamp or tripod.



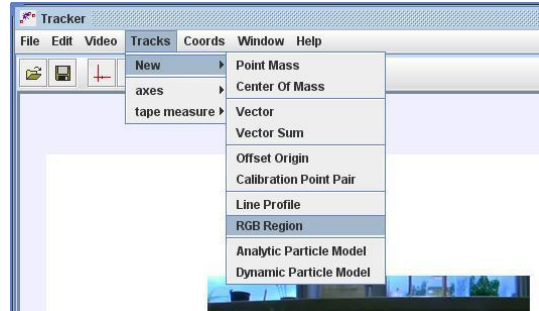
Having made your film, copy it to your computer and open up tracker. Choose **Import video** from the **Video** menu.

If you cannot see your video in the location where it should lie, try changing **Video Files** to **All Files** as shown on the right.

Your video should now be ready to analyse. If it is an unsuitable size, right click on it and choose the appropriate zoom option.



From the **Tracks** menu, choose **New...RGB Region** as shown.



Move your mouse pointer to the centre of the star. Hold down shift, then click to mark the point where you are going to analyse the light. We found that we had to shift-click twice to place the cross-hair marker.

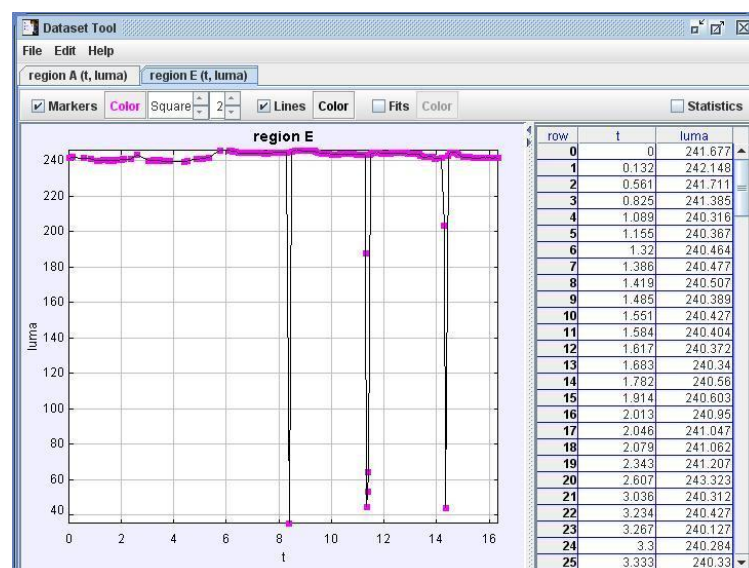
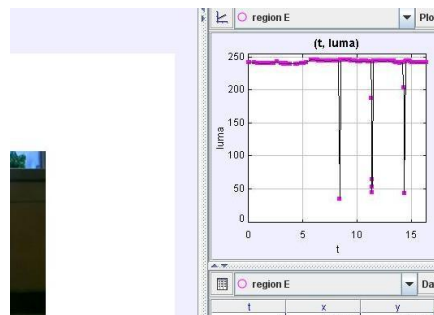


Move through the video, either by dragging the slider control or by clicking the buttons that step through it one frame at a time (circled, right).



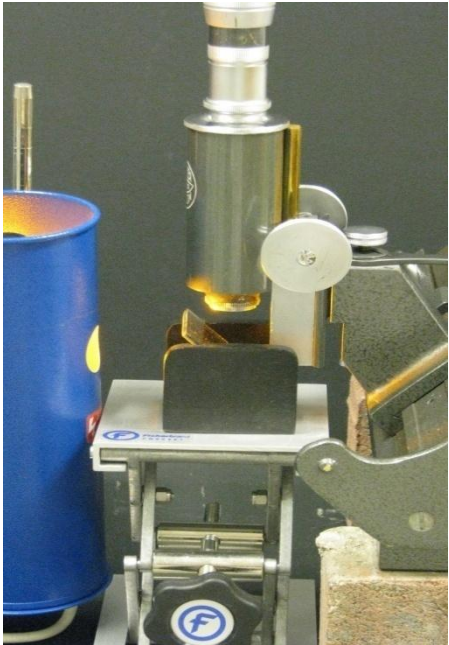
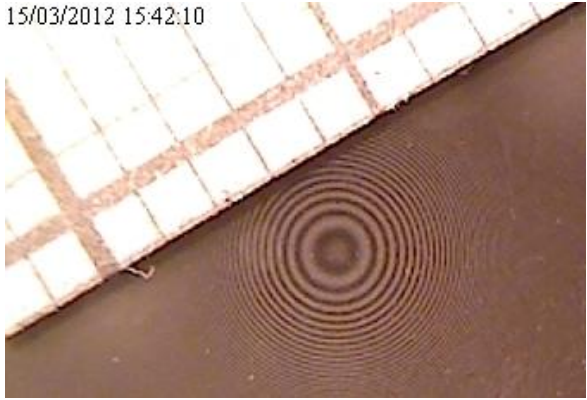
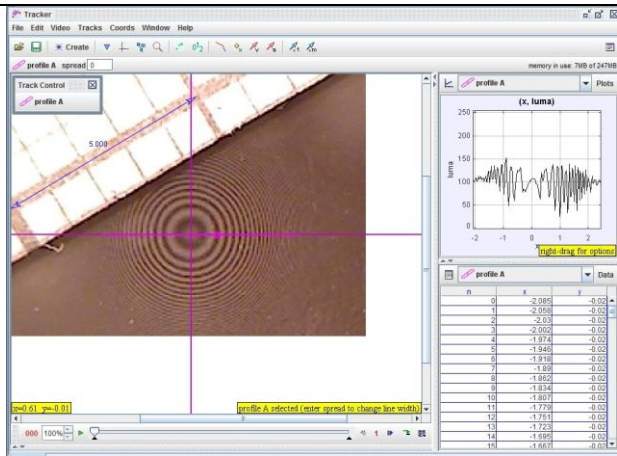
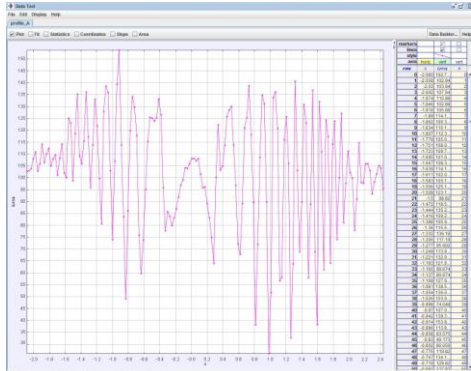
A graph of “luma” versus time should appear. Luma is explained here: http://en.wikipedia.org/wiki/Luma_%28video%29

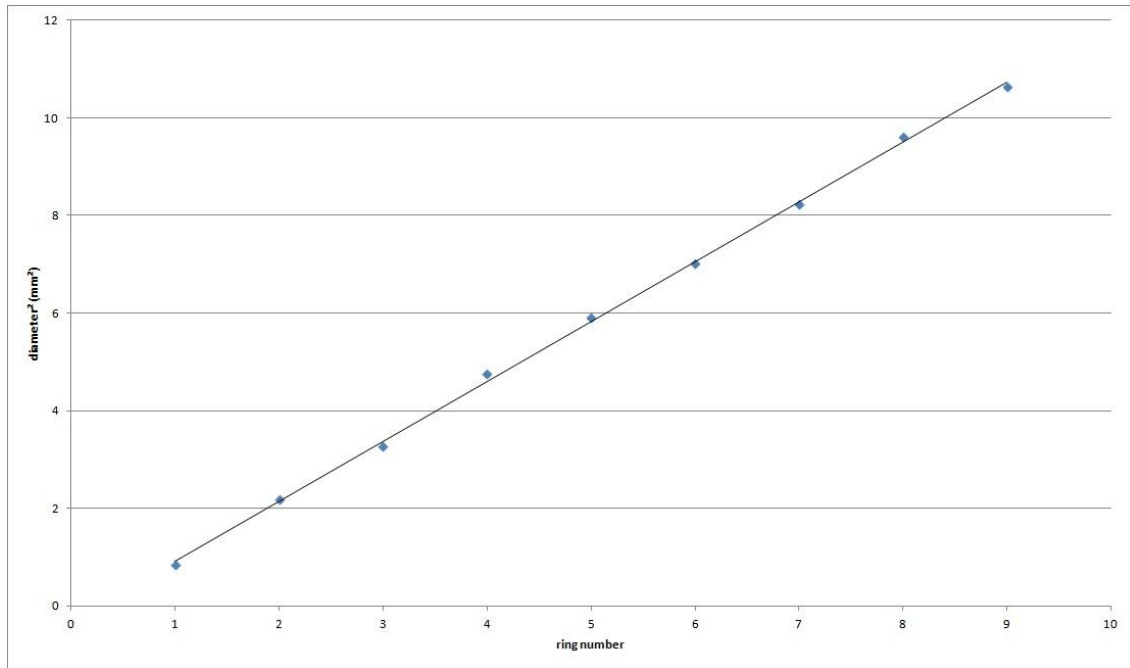
Double clicking the graph produces a larger one from which period can be estimated.



Newton's Rings

We used a USB microscope to capture a Newton's Rings pattern. This was created by placing a plano-convex lens on a flat piece of glass and illuminating it with a sodium lamp. The set-up is shown below left, with a travelling microscope in place of the USB device we used.

	<p>15/03/2012 15:42:10</p>  <p>We used the microscope's image capture function to take a picture of the pattern. Note the graph paper, placed on the upper surface of the lens, to give a scale.</p>																																																			
 <table border="1" data-bbox="678 1355 855 1552"> <thead> <tr> <th>n</th> <th>x</th> <th>y</th> </tr> </thead> <tbody> <tr><td>0</td><td>-2.085</td><td>-0.02</td></tr> <tr><td>1</td><td>-2.058</td><td>-0.02</td></tr> <tr><td>2</td><td>-2.03</td><td>-0.02</td></tr> <tr><td>3</td><td>-2.002</td><td>-0.02</td></tr> <tr><td>4</td><td>-1.974</td><td>-0.02</td></tr> <tr><td>5</td><td>-1.948</td><td>-0.02</td></tr> <tr><td>6</td><td>-1.918</td><td>-0.02</td></tr> <tr><td>7</td><td>-1.889</td><td>-0.02</td></tr> <tr><td>8</td><td>-1.862</td><td>-0.02</td></tr> <tr><td>9</td><td>-1.834</td><td>-0.02</td></tr> <tr><td>10</td><td>-1.807</td><td>-0.02</td></tr> <tr><td>11</td><td>-1.779</td><td>-0.02</td></tr> <tr><td>12</td><td>-1.751</td><td>-0.02</td></tr> <tr><td>13</td><td>-1.723</td><td>-0.02</td></tr> <tr><td>14</td><td>-1.695</td><td>-0.02</td></tr> <tr><td>15</td><td>-1.667</td><td>-0.02</td></tr> </tbody> </table>	n	x	y	0	-2.085	-0.02	1	-2.058	-0.02	2	-2.03	-0.02	3	-2.002	-0.02	4	-1.974	-0.02	5	-1.948	-0.02	6	-1.918	-0.02	7	-1.889	-0.02	8	-1.862	-0.02	9	-1.834	-0.02	10	-1.807	-0.02	11	-1.779	-0.02	12	-1.751	-0.02	13	-1.723	-0.02	14	-1.695	-0.02	15	-1.667	-0.02	<p>Referring to earlier parts of this guide, we placed a set of axes with the origin at the centre of the pattern. We used the tape measure to scale the picture, placing it along a 5 mm edge of a square on the graph paper.</p>
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	<p>We then did a line profile (see spectroscopy section) across the pattern to identify the position of the rings. We could read off the radii and hence find the diameter of each ring. This was best done by double-clicking on the small graph to give a larger one. Placing the cursor on each peak and clicking revealed the coordinates of each peak.</p>																																																			



Theory tells us that diameter squared is directly proportional to ring number. Our graph shows this. The gradient will be equal to $4R\lambda$ where R is the radius of curvature of the lens and λ is the wavelength of the light used. Of course, we have to be careful with units.